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## 1. Subsetting

2. Data structures
3. Basic data types
4. Vectors, matrices \& arrays
5. Lists \& data.frames

## Subsetting

Key to efficient use of $R$ is mastering subsetting.

Take one minute to recall the 5
basic types of subsetting

## blank include all

integer<br>+ve: include<br>-ve: exclude

## logical include TRUEs

character lookup by name

## Integer subsetting

```
\# Nothing
str(diamonds[, ])
```

\# Positive integers \& nothing
diamonds[1:6, ] \# same as head(diamonds)
diamonds[, 1:4] \# watch out!
\# Two positive integers in rows \& columns diamonds[1:10, 1:4]
\# Repeating input repeats output
diamonds[c(1,1,1,2,2), 1:4]
\# Negative integers drop values
diamonds[-(1:53900), -1]
\# Useful technique: Order by one or more columns diamonds[order(diamonds\$x), ]
\# Useful technique: Combine two tables carats <- data.frame(table(carat = diamonds\$carat)) mtch <- match(diamonds\$carats, carats\$carats) diamonds\$carat_count <- carats\$Freq[mtch]

## Logical subsetting

\# The most complicated to understand, but \# the most powerful. Lets you extract a \# subset defined by some characteristic of \# the data
x_big <- diamonds\$x > 10
head(x_big)
sum(x_big)
mean(x_big)
table(x_big)
diamonds\$x[x_big] diamonds[x_big, ]
small <- diamonds[diamonds\$carat < 1, ]
lowqual <- diamonds[diamonds\$clarity
\%in\% c("I1", "SI2", "SI1"), ]
\# Comparison functions:
\# < > <= >= != == \%in\%
\# Boolean operators: \& | !
small <- diamonds\$carat < 1 \&
diamonds\$price > 500
lowqual <- diamonds\$colour == "D" |
diamonds\$cut == "Fair"

## Your turn

Select the diamonds that have:
Equal $x$ and $y$ dimensions.
Depth between 55 and 70 .
Carat smaller than the mean.
Cost more than \$10,000 per carat.
Are of good quality or better.

|  | A |
| :---: | :---: |
|  | B |
|  | $A \mid B$ |
|  | A \& B |
|  | A \& ! ${ }^{\text {B }}$ |

$$
a<-\operatorname{seq}(0,100, \text { by }=2)
$$

$b<-\operatorname{seq}(0,100$, by $=3)$
intersect(a, b) \# divisible by 2 and 3
union(a, b) \# divisible by 2 or 3
setdiff(a, b) \# divisible by 2 , but not 3
setdiff(b, a) \# divisible by 3, but not 2
setdiff(union(a, b), intersect(a, b))
\# divisible by either, but not both
$A<-\operatorname{rep}(c(F, T)$, length = 100)
$B<-\operatorname{rep}(c(F, F, T)$, length $=100)$

A \& B \# divisible by 2 and 3
A | B \# divisible by 2 or 3
A \& ! B \# divisible by 2, but not 3
B \& ! A \# divisible by 3, but not 2
xor(A, B) \# divisible by either, but not both
(A | B) \& ! (A \& B) \# same thing

## Character subsetting

\# Matches by names
diamonds[1:5, c("carat", "cut", "color")]
\# Useful technique: change labelling
c("Fair" = "C", "Good" = "B", "Very Good" = "B+",
"Premium" = "A", "Ideal" = "A+")[diamonds\$cut]
\# Can also be used to collapse levels
table(c("Fair" = "C", "Good" = "B", "Very Good" =
"B", "Premium" = "A", "Ideal" = "A")[diamonds\$cut])
\# (see ?cut for continuous to discrete equivalent)

## Your turn

In the mpg dataset, create a new variable giving the origin of the manufacturer: Europe, America or Asia.

# Data structures 

Take two minutes to come up with the 5 basic data structures



## character

numeric

## logical

```
as.character(c(T, F))
as.character(seq_len(5))
as.logical(c(0, 1, 100))
as.logical(c("T", "F", "a"))
as.numeric(c("A", "100"))
as.numeric(c(T, F))
```

When vectors of different types occur in an expression, they will be automatically coerced to the same type: character > numeric > logical
mode()
names()
length() A scalar is a vector of length 1

Technically, these are all atomic vectors

## Your turn

Experiment with automatic coercion. What is happening in the following cases?

104 \& $2<4$
mean(diamonds\$cut == "Good")
diamonds\$color == "D" | "E" | "F"

Matrix (2d)
Array (>2d)

Just like a vector. Has mode() and length().

Create with matrix() or
as.vector() converts back to a vector

$$
\begin{aligned}
& a<- \text { seq_len(12) } \\
& \operatorname{dim}(a)<-c(1,12) \\
& \operatorname{dim}(a)<-c(4,3) \\
& \operatorname{dim}(a)<-c(2,6) \\
& \operatorname{dim}(a)<-c(3,2,2)
\end{aligned}
$$

$$
a<-1: 10
$$

$$
b<-11: 20
$$

cbind (a, b)
rbind (a, b)
\# What's the difference between $a$ \& $b$ ?
a <- matrix $(x, 4,3)$
b <- array $(x, c(4,3))$
\# What's the difference between x \& y
y <- matrix $(x, 12)$

## List

Is also a vector (so has mode, length and names), but is different in that it can store any other vector inside it (including lists).

Use unlist() to convert to a vector. Use as.list() to convert a vector to a list.

```
c(1, 2, c(3, 4))
list(1, 2, list(3, 4))
c("a", T, 1:3)
list("a", T, 1:3)
```

```
a <- list(1:3, 1:5)
unlist(a)
as.list(a)
```

b <- list(1:3, "a", "b")
unlist(b)

Technically a recursive vector

## Data frame

List of vectors, each of the same length. (Cross between list and matrix)

Different to matrix in that each column can have a different type
\# What is $a$ ? What is $b$ ?
\# How are they different? How are they similar?
\# How can you turn a in to b?
\# How can you turn $b$ in to $a$ ?
\# What are $c, d$, and $e$ ?
\# How are they different? How are they similar?
\# How can you turn one into another?
\# What is f?
\# How can you extract the first element?
\# How can you extract the first value in the first
\# element?

```
# a is numeric vector, containing the numbers 1 to 10
# b is a list of numeric scalars
# they contain the same values, but in a different format
identical(a[1], b[[1]])
identical(a, unlist(b))
identical(b, as.list(a))
# c is a named list
# d is a data.frame
# e is a numeric matrix
# From most to least general: c, d, e
identical(c, as.list(d))
identical(d, as.data.frame(c))
identical(e, data.matrix(d))
```

\# $f$ is a list of matrices of different dimensions
$f[[1]]$
$\mathrm{f}[[1]][1,2]$

| 1d | names() | length() | $c()$ |
| :---: | :---: | :---: | :---: |
| 2d | colnames() <br> rownames() | ncol() <br> nrow() | cbind() <br> rbind() |
| nd | dimnames() | dim() | abind() <br> (special package) |

\# What does these subsetting operations do?
\# Why do they work? (Remember to use str)
diamonds[1]
diamonds[[1]]
diamonds["cut"]
diamonds[["cut"]]
diamonds\$cut
\# How are these subsetting operations different?
a <- matrix (1:12, 4, 3)
$a[, 1]$
a[, 1, drop = FALSE]
$a[1, \quad]$
a[1, , drop = FALSE]

| Vectors | $x[1: 4]$ | - |
| :---: | :---: | :---: |
| Matrices <br> Arrays | $x[1: 4]$, <br> $x[, 2: 3]$, | $x[1: 4,$, <br> $d r o p=F]$ |
| Lists | $x[[1]]$ <br> $x \$ n a m e$ | $x[1]$ |



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